

The book does example 11 in section 2.6 without much explanation. The calculations in a little more detail are as follows:  $STOP \rightarrow 1819 \ 1415$ ,  $p = 43$  &  $q = 59 \rightarrow n = 2537$ ,  $e = 13_{10} = 1101_2$

first block: find  $C_1 = 1819^{13} \bmod 2537$      $13_{10} = 1101_2$

book	n = 2537	M = 1819		power = 1819	
i	a(i)	x calc	x mod n	power calc	power mod n
0	1	1819	1819	3308761	513
1	0	1819	1819	263169	1858
2	1	3379702	418	3452164	1844
3	1	770792	2081	not needed	

second block: find  $C_1 = 1415^{13} \bmod 2537$      $13_{10} = 1101_2$

book	n = 2537	M = 1415		power = 1415	
i	a(i)	x calc	x mod n	power calc	power mod n
0	1	1415	1415	2002225	532
1	0	1415	1415	283024	1417
2	1	2005055	825	2007889	1122
3	1	925650	2182	not needed	

The encoded message sent is 2081 2182, to be decoded on the other end.

**Your homework:**

- 1) 2.5 #20 (answer: 22)
- 2) 2.6 #46 (answers: 2299 1317 2117)
- 3) The three following sets of numbers represent a possible basis for encryption coding:
 

(a) $p = 17, q = 37, e = 7$	(b) $p = 17, q = 37, e = 11$	(c) $p = 41, q = 53, e = 11$
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For each of the sets in 3) above:

→ Use the Euclidean algorithm to verify that  $e$  and  $(p - 1)(q - 1)$  are relatively prime.

→ Then use RSA encryption,  $C = M^e \bmod n$ , to encrypt the word “ante”.

answers: (a) 0106 0459                      (b) 0089 0476                      (c) 0281 1494